NEARBY CYCLES OF AUTOMORPHIC ÉTALE SHEAVES — ERRATA

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(1) In Proposition 2.2, (4), "then there exists a stratum Z' of $\mathsf{X}^{\min}_{\mathcal{H}}$ whose closure in $\mathsf{X}^{\min}_{\mathcal{H}}$ contains Z" should be "then there exist a stratum Z' of $\mathsf{X}^{\min}_{\mathcal{H}}$, whose closure in $\mathsf{X}^{\min}_{\mathcal{H}}$ contains Z".

(2) In Proposition 2.2, (9), "an étale morphism $\overline{U} \to \Xi(\sigma)$" should be more precisely "an étale morphism $\overline{U} \to \Xi(\sigma)$ respecting x".

(3) In the proof of Proposition 2.2 in Case (Nm), for the sake of consistency with the statements of Proposition 2.2, (9), "an étale neighborhood $\overline{U} \to \vec{\Xi}_{\Phi_{\mathcal{H}},\delta_{\mathcal{H}}}(\sigma)$ of x and an étale morphism $\overline{U} \to \vec{\mathsf{M}}^{\mathrm{tor}}_{\mathcal{H},\Sigma}$" should better be "an étale neighborhood $\overline{U} \to \vec{\mathsf{M}}^{\mathrm{tor}}_{\mathcal{H},\Sigma}$ of x and an étale morphism $\overline{U} \to \vec{\Xi}_{\Phi_{\mathcal{H}},\delta_{\mathcal{H}}}(\sigma)$ respecting x"; "to $\vec{\Xi}_{\Phi_{\mathcal{H}},\delta_{\mathcal{H}},\sigma}$ and to $\vec{\mathsf{Z}}_{[(\Phi_{\mathcal{H}},\delta_{\mathcal{H}},\sigma)]}$" should better be "to $\vec{\mathsf{Z}}_{[(\Phi_{\mathcal{H}},\delta_{\mathcal{H}},\sigma)]}$ and to $\vec{\Xi}_{\Phi_{\mathcal{H}},\delta_{\mathcal{H}},\sigma}$"; and "the stratifications of $\vec{\Xi}_{\Phi_{\mathcal{H}},\delta_{\mathcal{H}}}(\sigma)$ and $\vec{\mathsf{M}}^{\mathrm{tor}}_{\mathcal{H},\Sigma}$" should better be "the stratifications of $\vec{\mathsf{M}}^{\mathrm{tor}}_{\mathcal{H},\Sigma}$ and $\vec{\Xi}_{\Phi_{\mathcal{H}},\delta_{\mathcal{H}}}(\sigma)$".

(4) In the second paragraph preceding Theorem 6.8, "there exist some $r \in \mathbb{Z}$ and $\mathrm{j} \in \mathrm{J}$ such that $\Lambda = p^r \Lambda_{\mathrm{j}}$" should be "there exist some integers $(r_{[\tau]})_{[\tau]\in\Upsilon/\sim}$ and $\mathrm{j} \in \mathrm{J}$ such that $\Lambda_{[\tau]} = p^{r_{[\tau]}} \Lambda_{\mathrm{j},[\tau]}$, for all $[\tau] \in \Upsilon/\sim$, in the notation of [39, Sec. 2.1]".

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